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Advances and Challenges in Dynamic Characterization of Naturally Fractured Reservoirs

Rodolfo G. Camacho-Velázquez



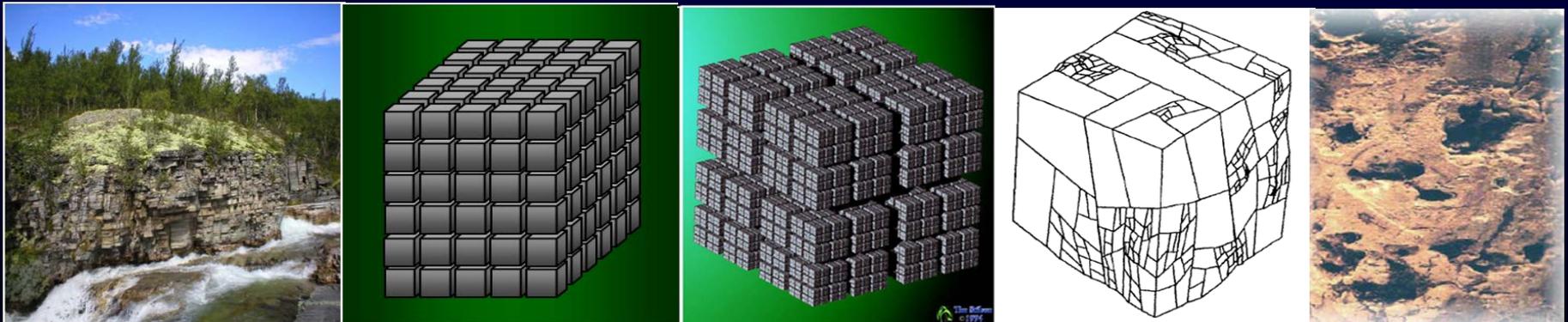
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OUTLINE

- Objectives
- **Motivation**
- Background on fractals and naturally fractured vuggy reservoirs (NFVRs)
- **Results with fractal and $3\phi-2k$ models**
- Conclusions about proposed models
- **Current and Future Vision**

Objectives

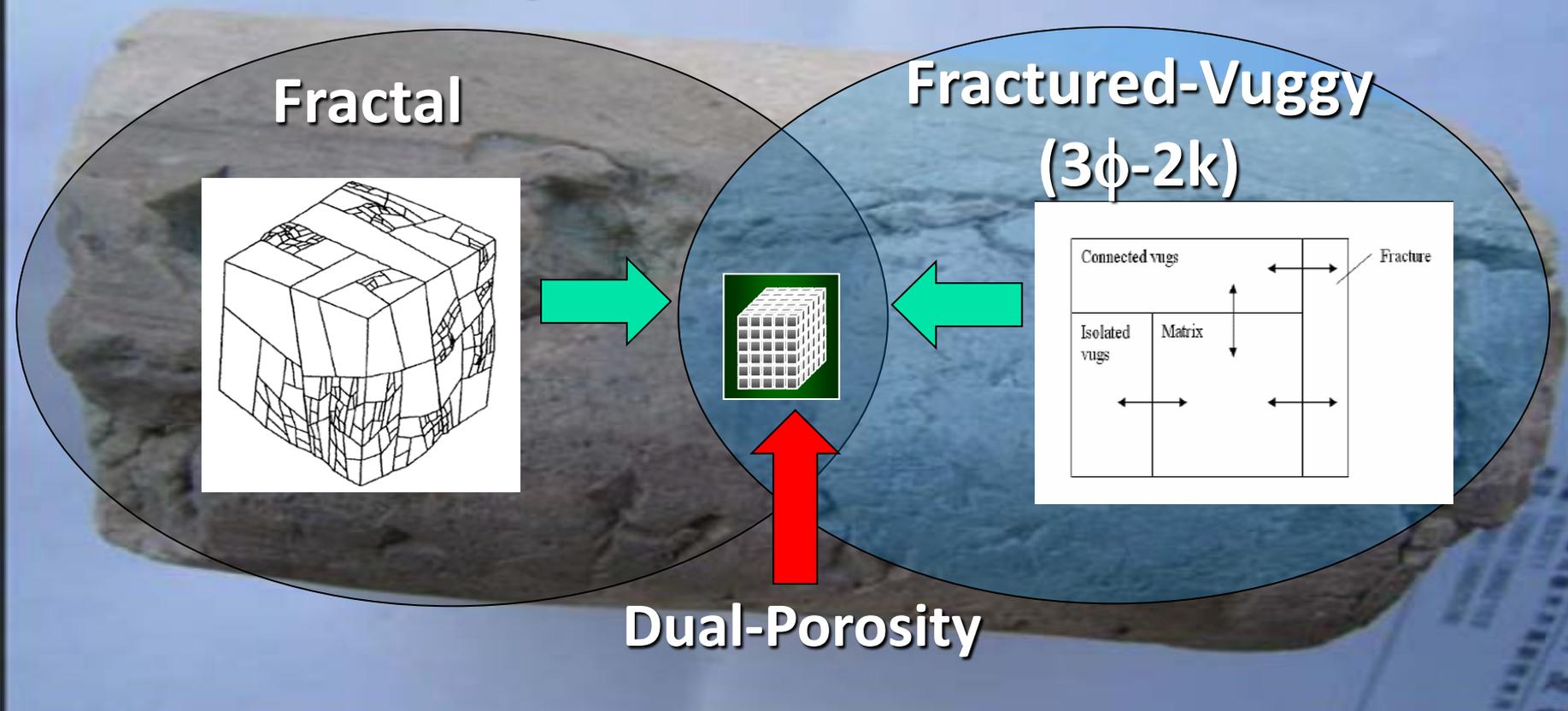
- Advances in characterization of Naturally Fractured Vuggy Reservoirs (NFVRs, $3\phi-2k$) and NFRs with fractures at multiple scales with non-uniform spatial distribution, poor connectivity (**fractal**).
- Reservoir characterization challenges and current- future vision.



Acuña & Yortsos,
SPEFE 1995

Motivation

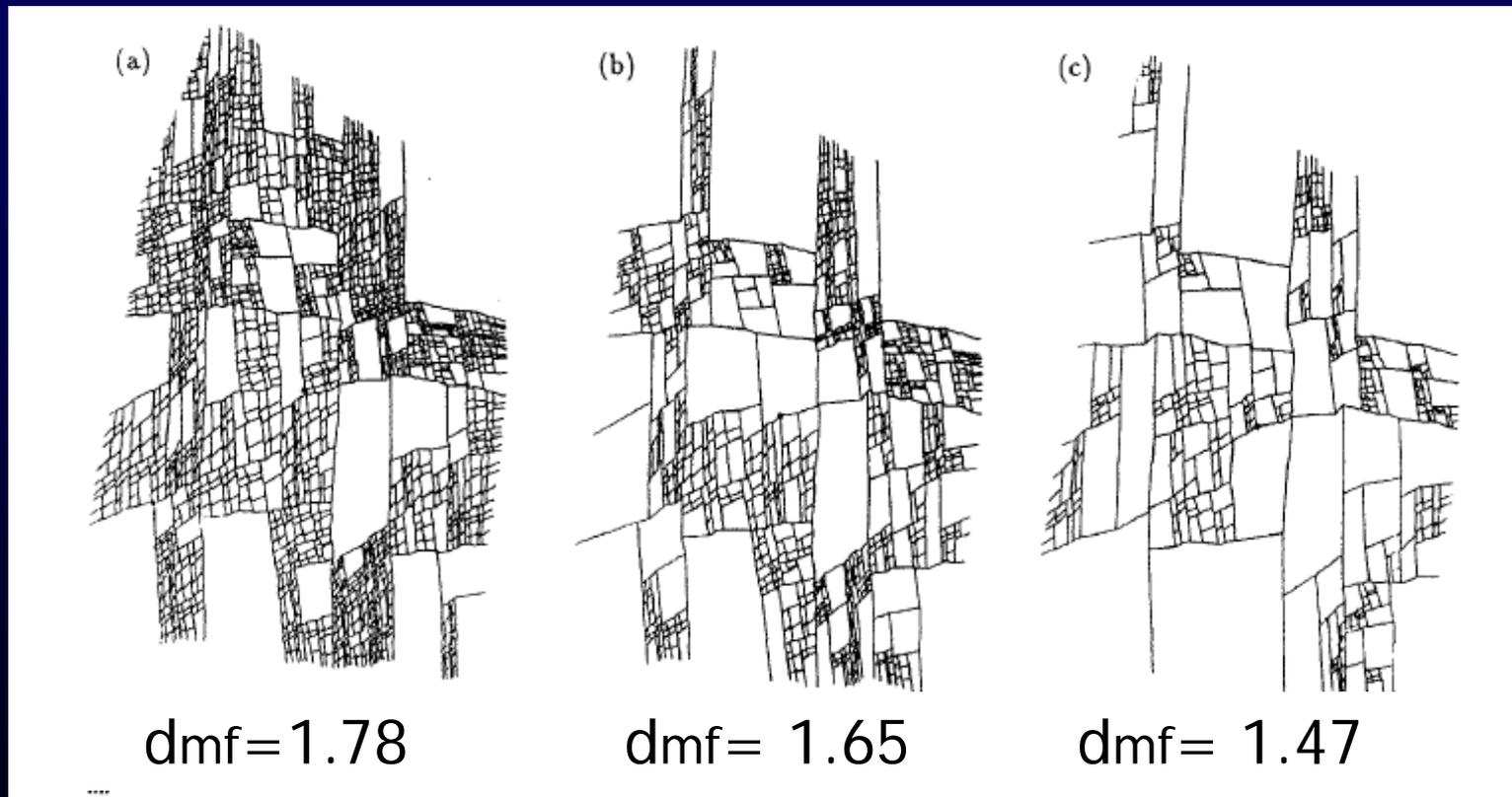
Naturally Fractured Reservoirs



More general continuous models

Background on fractals

Fractures are on a wide range of scales. There are zones with clusters of fractures and others where fractures are scarce.



$$d_{mf} = \frac{\log(N)}{\log(L)} ; N = \text{number of parts from original figure, } L = \text{scale of measurement.}$$

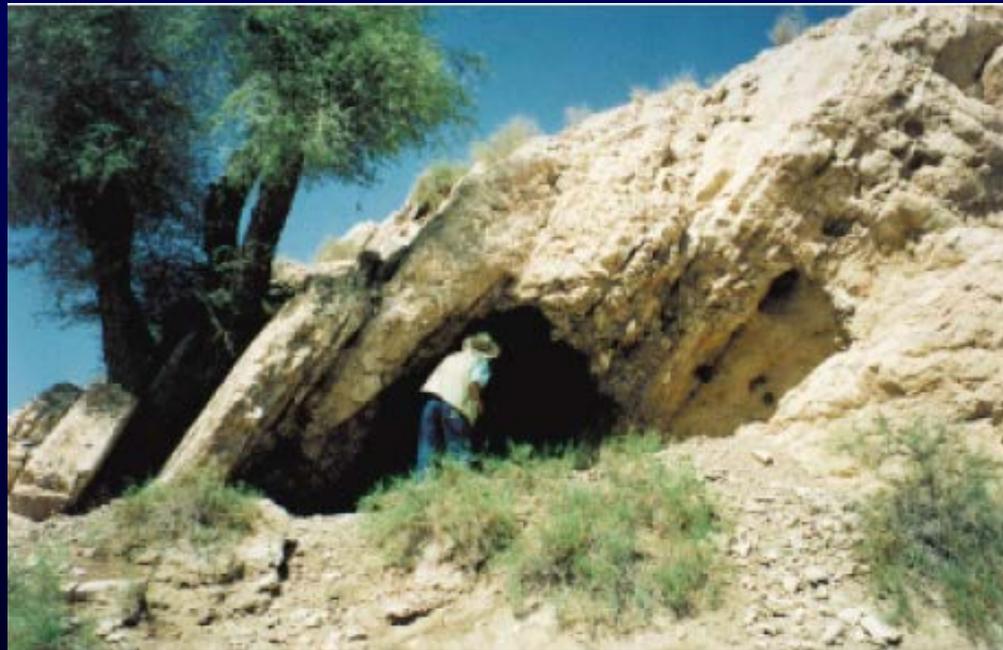
Background on fractals

- Statistical method to describe structure of a fractured medium and identified by a power law → fractal dimension, dmf.
- Fracture networks characterized by: length, orientation, density, aperture, and connectivity. Power laws to quantify these properties.
- Conventional → uniform fracture distribution, fractures at a single scale, and good fracture connectivity. Fractals → fractures at different scales, poor connectivity and non-uniform distribution → careful location of wells.

Background on NFVRs

Some of the most prolific fields produce from **Naturally Fractured Vuggy Reservoirs (NFVRs)**.

The effect of vugs on permeability depends on their connectivity.



Fluids are stored in the matrix, fractures and vugs. Core perm. and ϕ in vuggy zones are likely to be pessimistic.

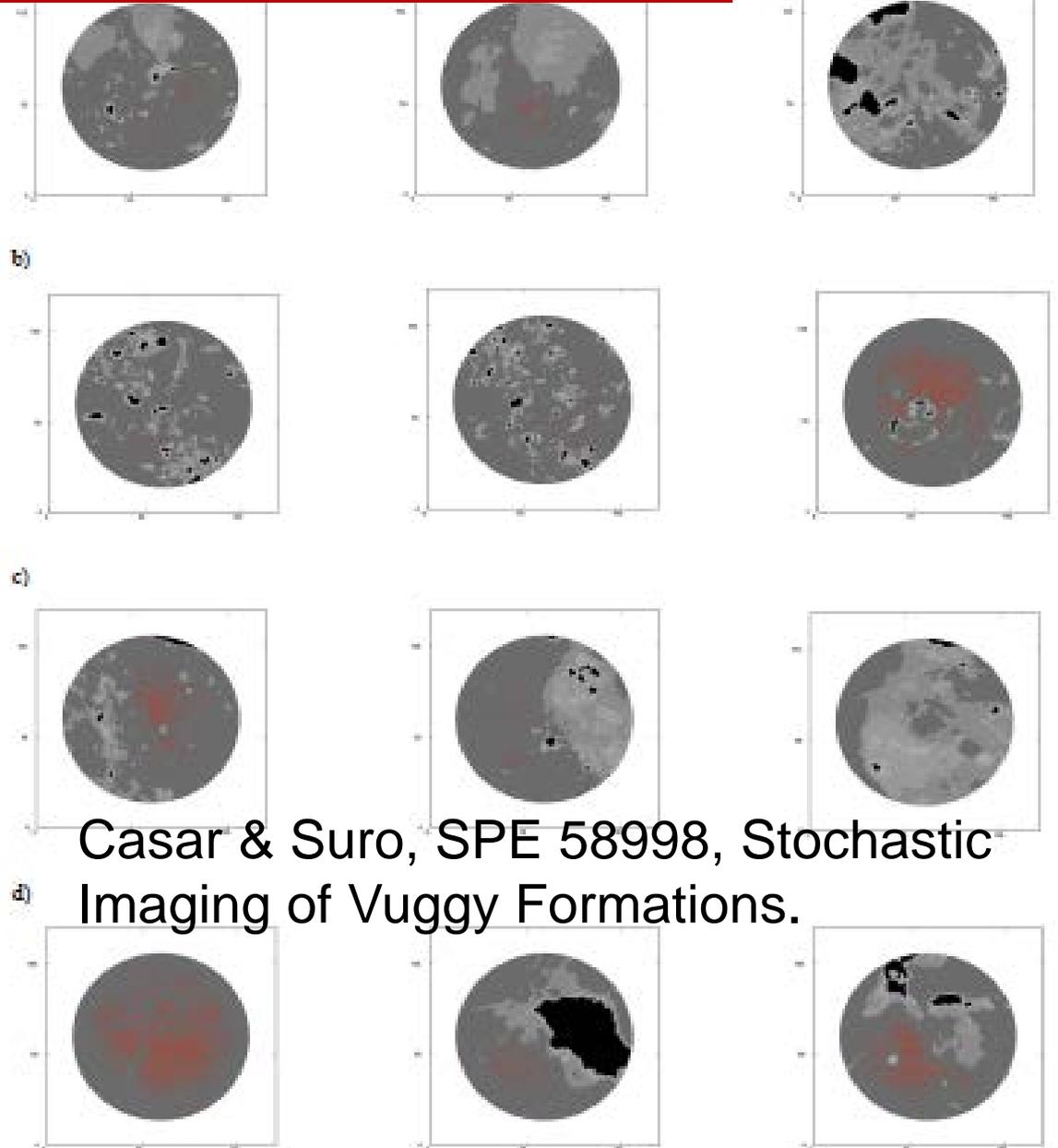
Background on NFVR

- Vugs affect flow & storage. Fractures network generally contributes $< 1\%$ of porous volume. Vuggy ϕ can be high.
- Vug network normally has good vertical permeability.
- The degree of fracturing and the presence of vugs are greater at the top of the anticline.
- Vug size, orientation, connectivity, and distribution are caused by deposit environment and diagenetic processes \rightarrow they are difficult to characterize.

Background on NFVRs

Slides of core segments with halos around vugs.

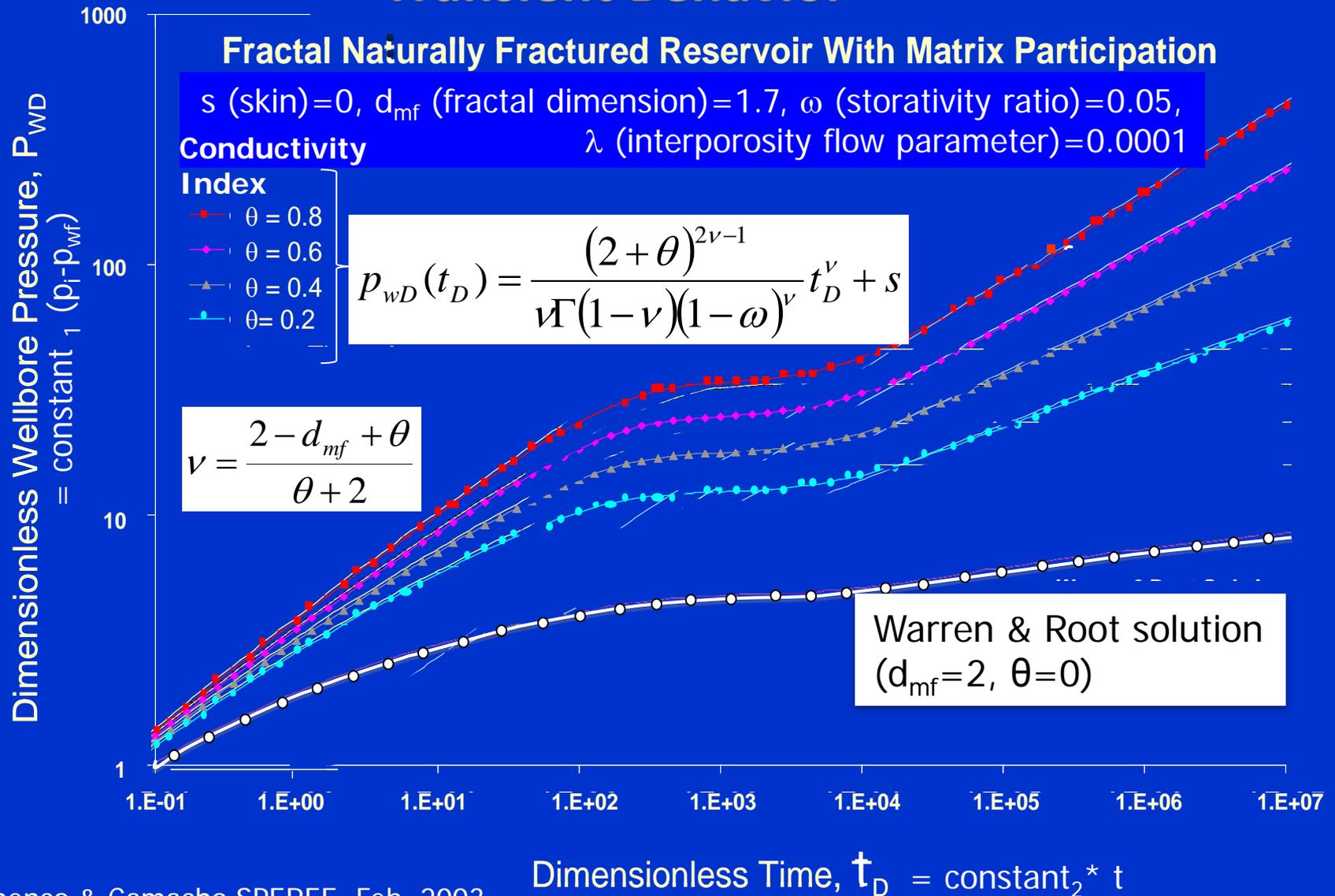
Increasing ϕ and k may be due to directly connected vugs and vugs connected through their halos. Vuggy k_v may be $>$ fracture k_f .



Casar & Suro, SPE 58998, Stochastic Imaging of Vuggy Formations.

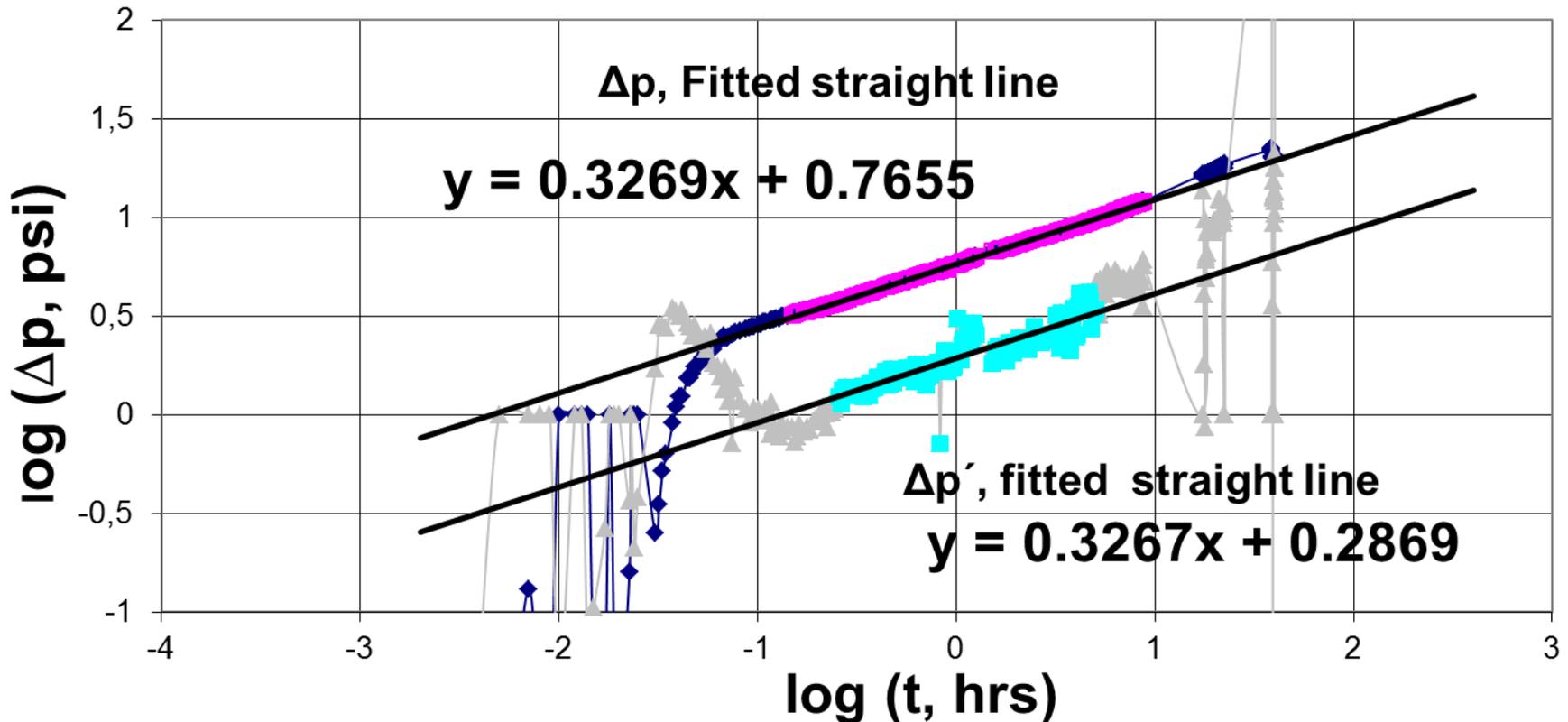
Results with Fractal Modeling

Transient Behavior



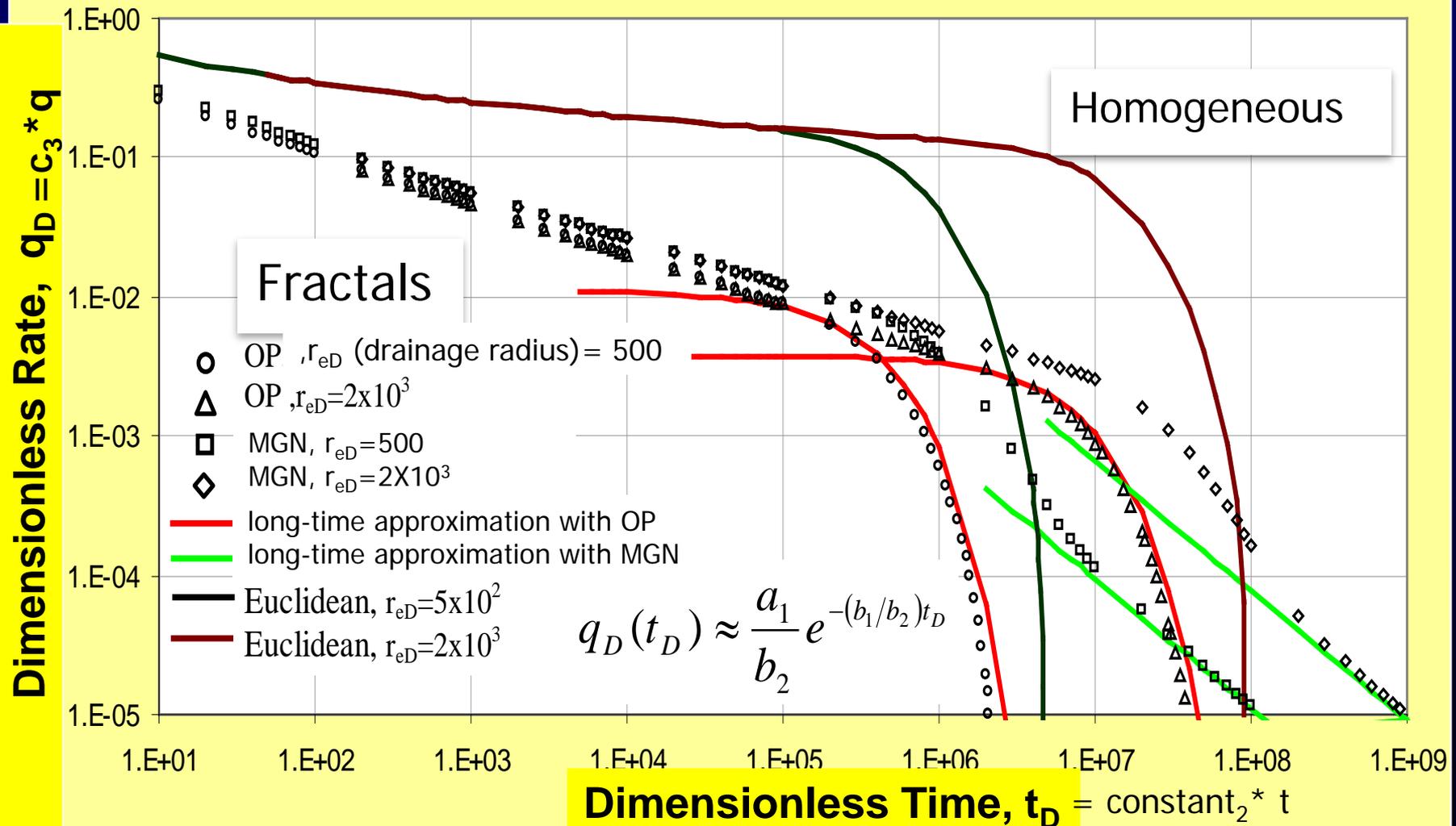
Results with fractal modeling

Slope = $\nu = 0.326$, difference between coordinates to the origin is 0.4786, which yields $\nu = 0.3322 \sim$ slope. This is another indication of fractal behavior.



Results with fractal modeling

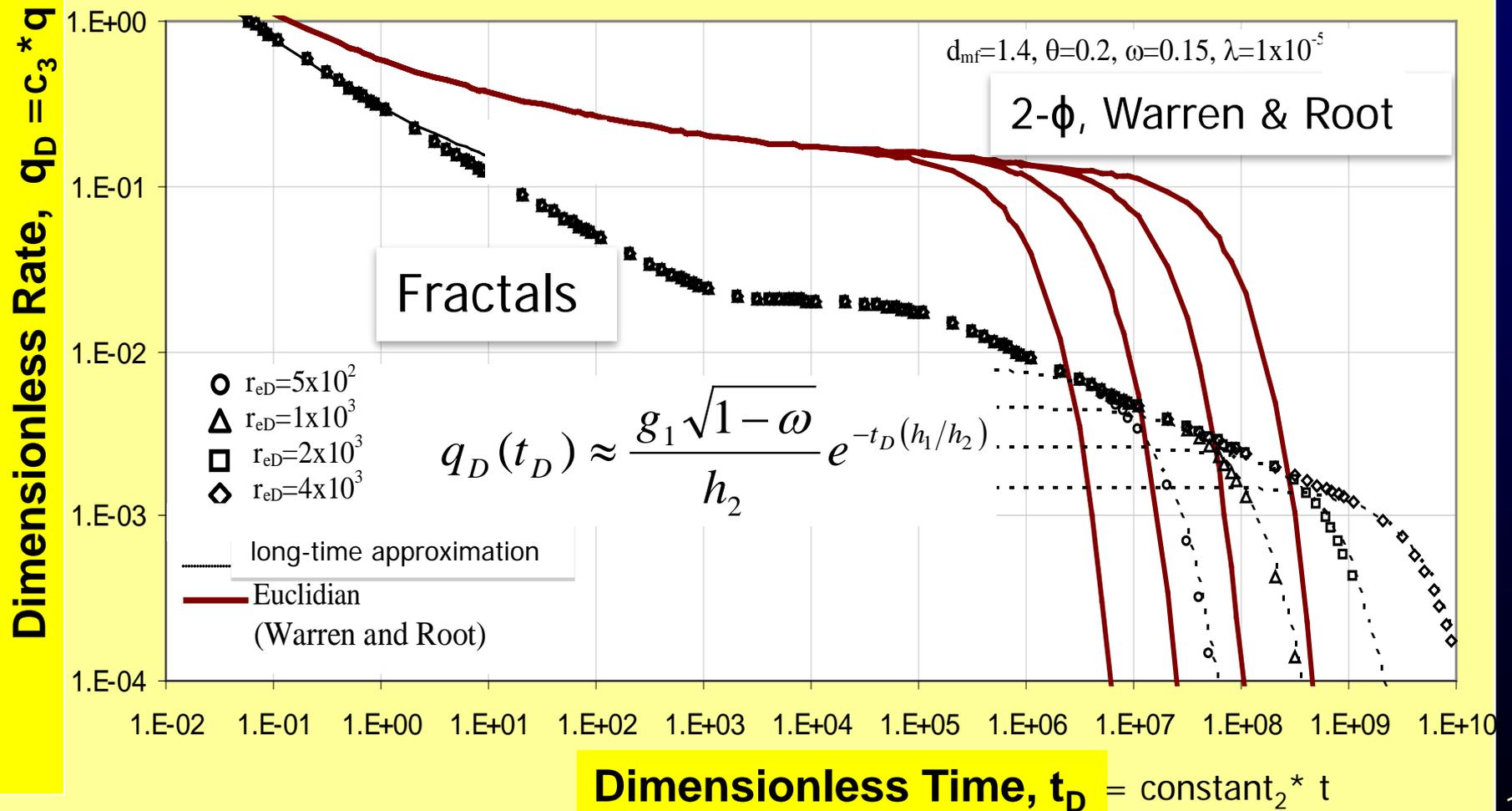
1- ϕ Fractured Reservoirs, Decline Curves, Bounded



OP-- O' Shaughnessy & Procaccia. 1985. Physical Review; MGN--Metzler et. al. 1994. Physica
Camacho-V., R.G., et al., SPE REE, June 2008

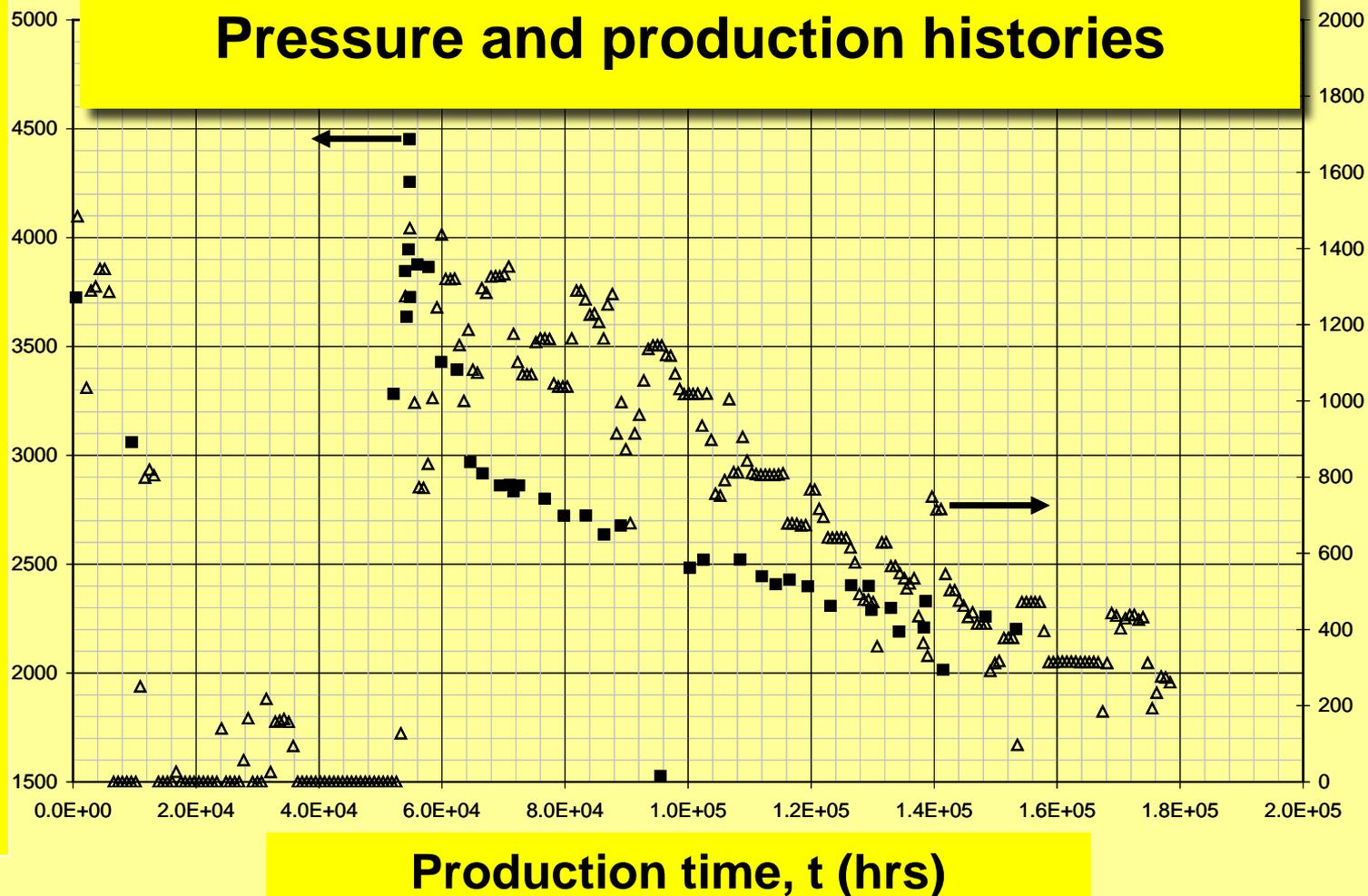
Results with fractal modeling

2- ϕ , Influence of r_{eD} , closed reservoir



Results with fractal modeling

Bottomhole wellbore pressure, pwf (psi)

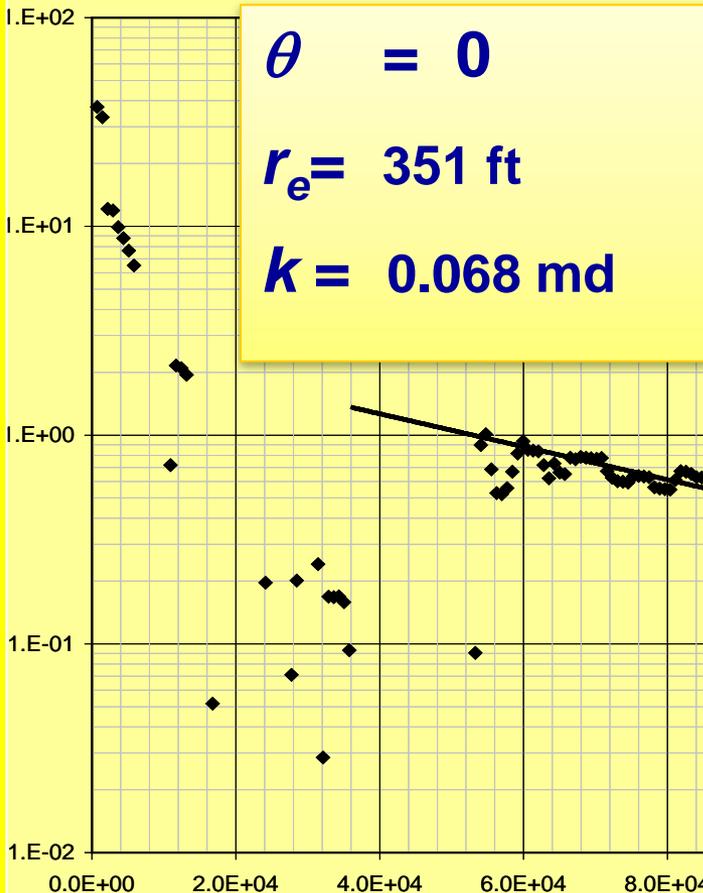


Camacho et. al.: "Decline Curve Analysis of Fractured Reservoirs with Fractal Geometry,"
SPEREE, 2008

Results with fractal modeling

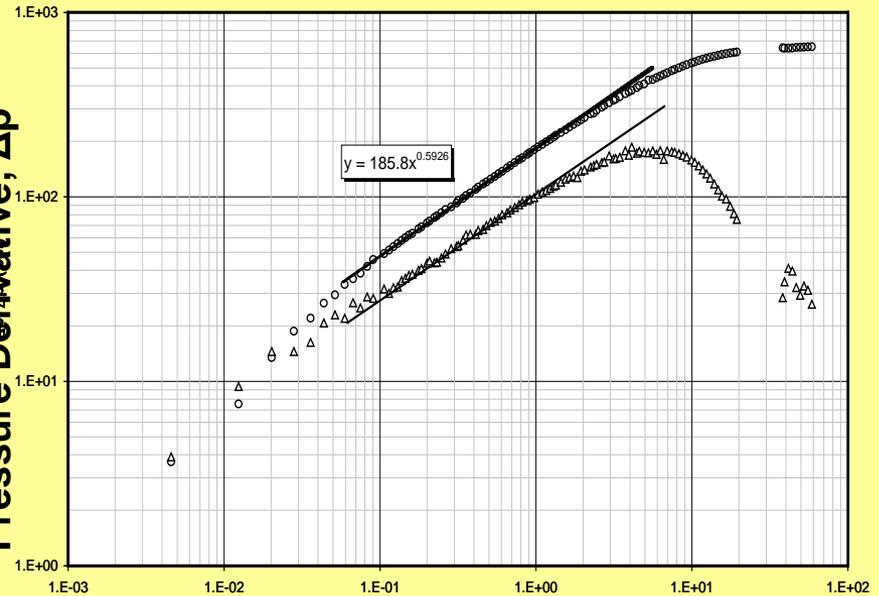
Rate Normalized by Δp

Oil Rate / pressure drop, $q_o / \Delta p$ (STB/D)/psi



Production time, t (hrs)

Pressure increment, Δp &
Pressure Derivative, Δp



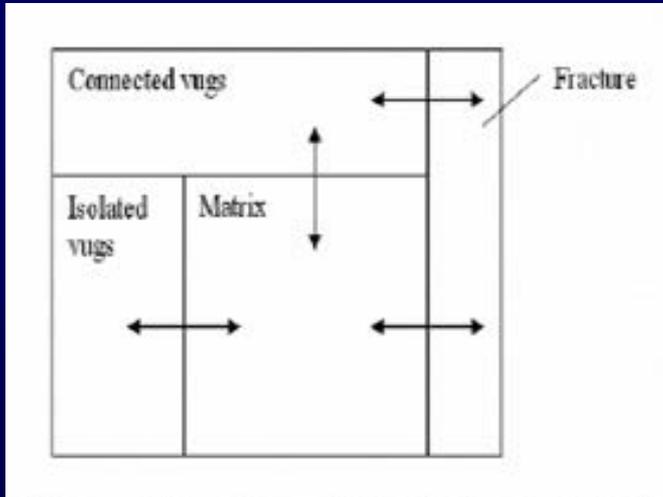
Shut-in time, Δt (hrs)

$y = 2.6149e^{-2E-05x}$

Results with fractal modeling

- 1- ϕ and 2- ϕ , show power-law transient behavior **→ fractal dimension** (fracture density).
- PSS, both 1- ϕ and 2- ϕ , show a Cartesian straight line for pressure response **→ porous volume evaluation.**
- Rate during boundary-dominated flow presents typical semilog behavior **→ porous volume eval.**
- Transient and boundary-dominated flow data should be used to fully characterize fractal NFRs, obtaining better estimates of permeability and drainage area.

Results with 3 ϕ – 2 k modeling



$$\omega_f = \phi_f C_f / [\phi_f C_f + \phi_m C_m + \phi_v C_v]$$

$$\omega_v = \phi_v C_v / [\phi_f C_f + \phi_m C_m + \phi_v C_v]$$

ω (storativity ratio), λ (interporosity flow parameter),
 c (compressibility), ϕ (porosity), κ (permeability ratio),
 k (permeability), l (flow direction), σ (interporosity-flow
 shape factor), r_w (wellbore radius)

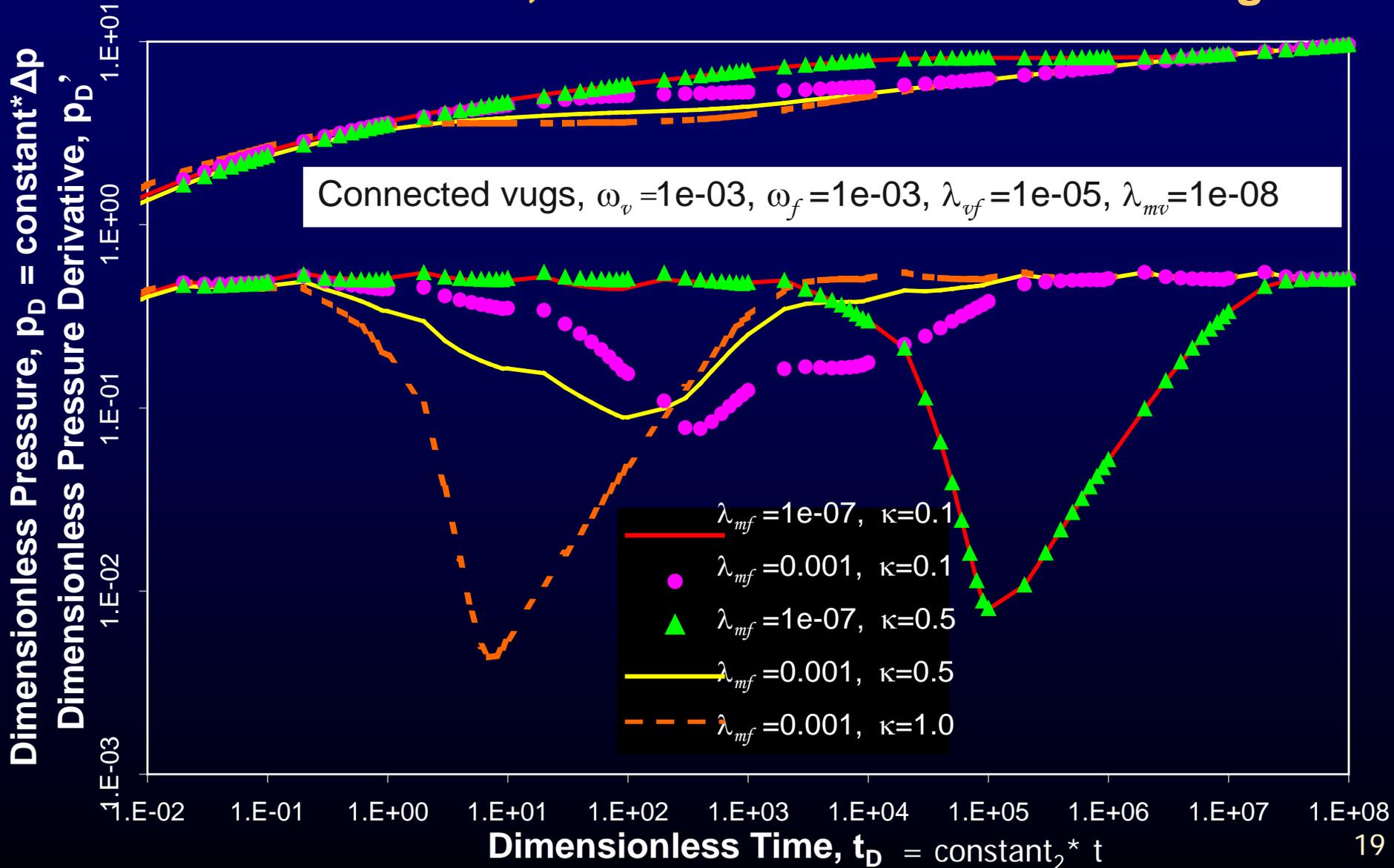
$$K_l = k_{fl} / [k_f + k_v]_l \quad \lambda_{mf} = \sigma_{mf} k_m r_w^2 / [k_f + k_v]$$

$$\lambda_{mv} = \sigma_{mv} k_m r_w^2 / [k_f + k_v] \quad \lambda_{vf} = \sigma_{vf} k_{vf} r_w^2 / [k_f + k_v]$$

Camacho-V., R., et. al.: "Pressure-Transient and Decline-Curve Behavior in Naturally Fractured Vuggy Carbonate Reservoirs," SPEREE, 2005.

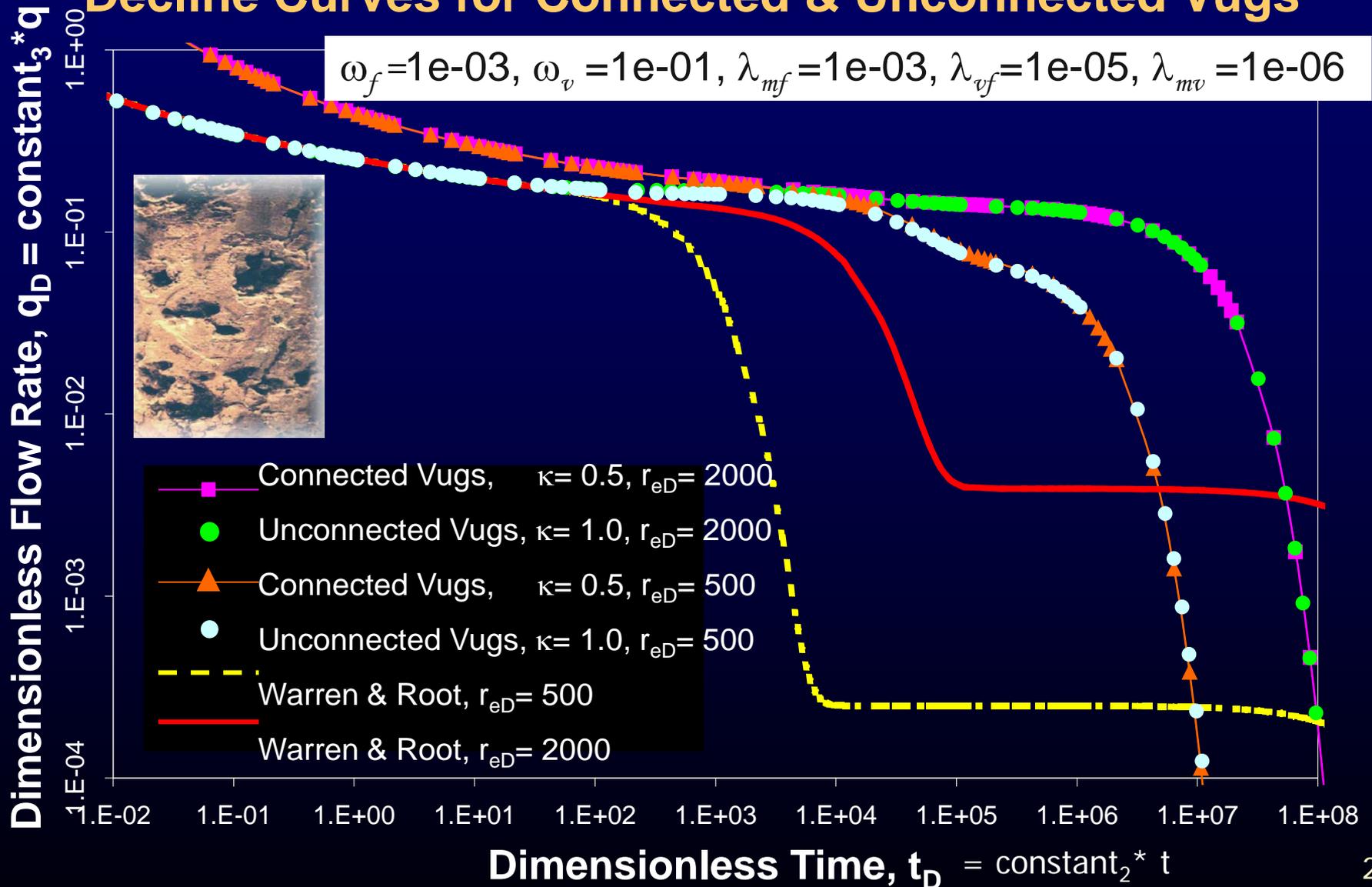
Results with 3 ϕ – 2 k modeling

Transient Behavior, Connected & Unconnected Vugs



Results with 3 ϕ – 2 k modeling

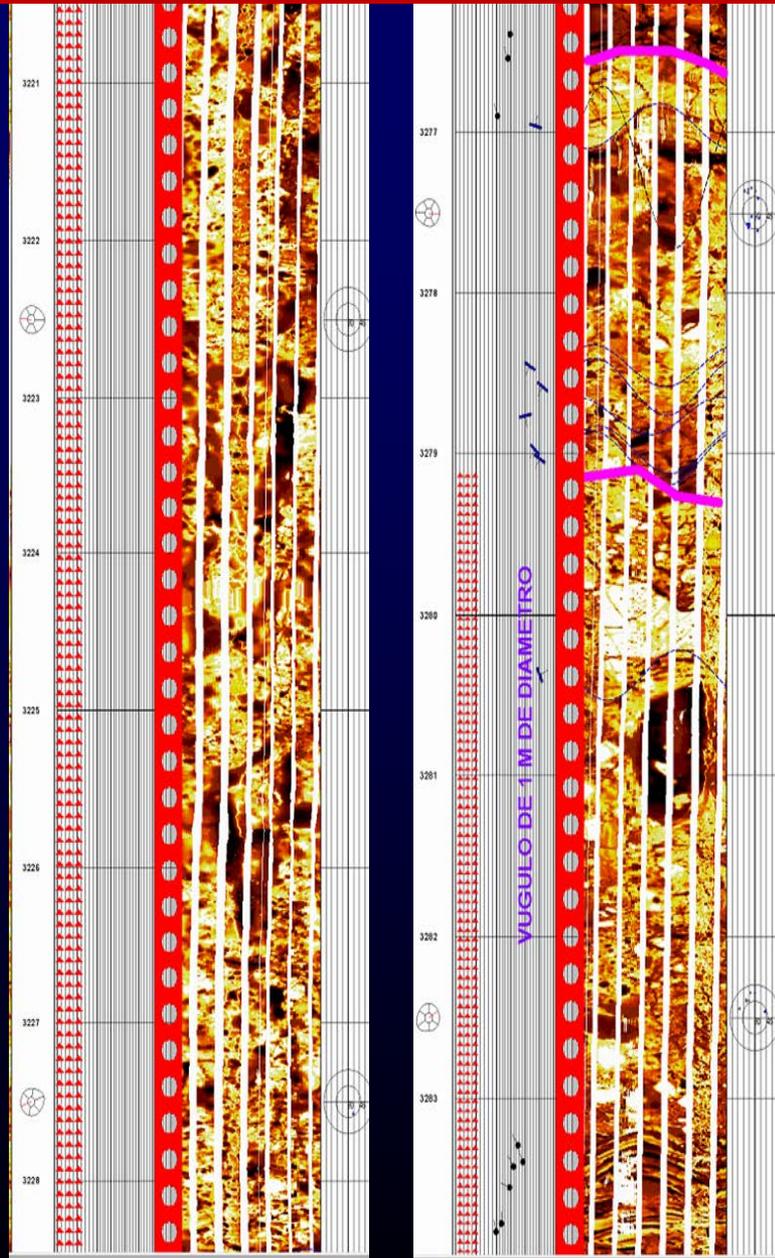
Decline Curves for Connected & Unconnected Vugs



Results with 3 ϕ – 2 k model

Brecciated zone showing connected vugular porosity.

There is good vertical communication through the vugs.

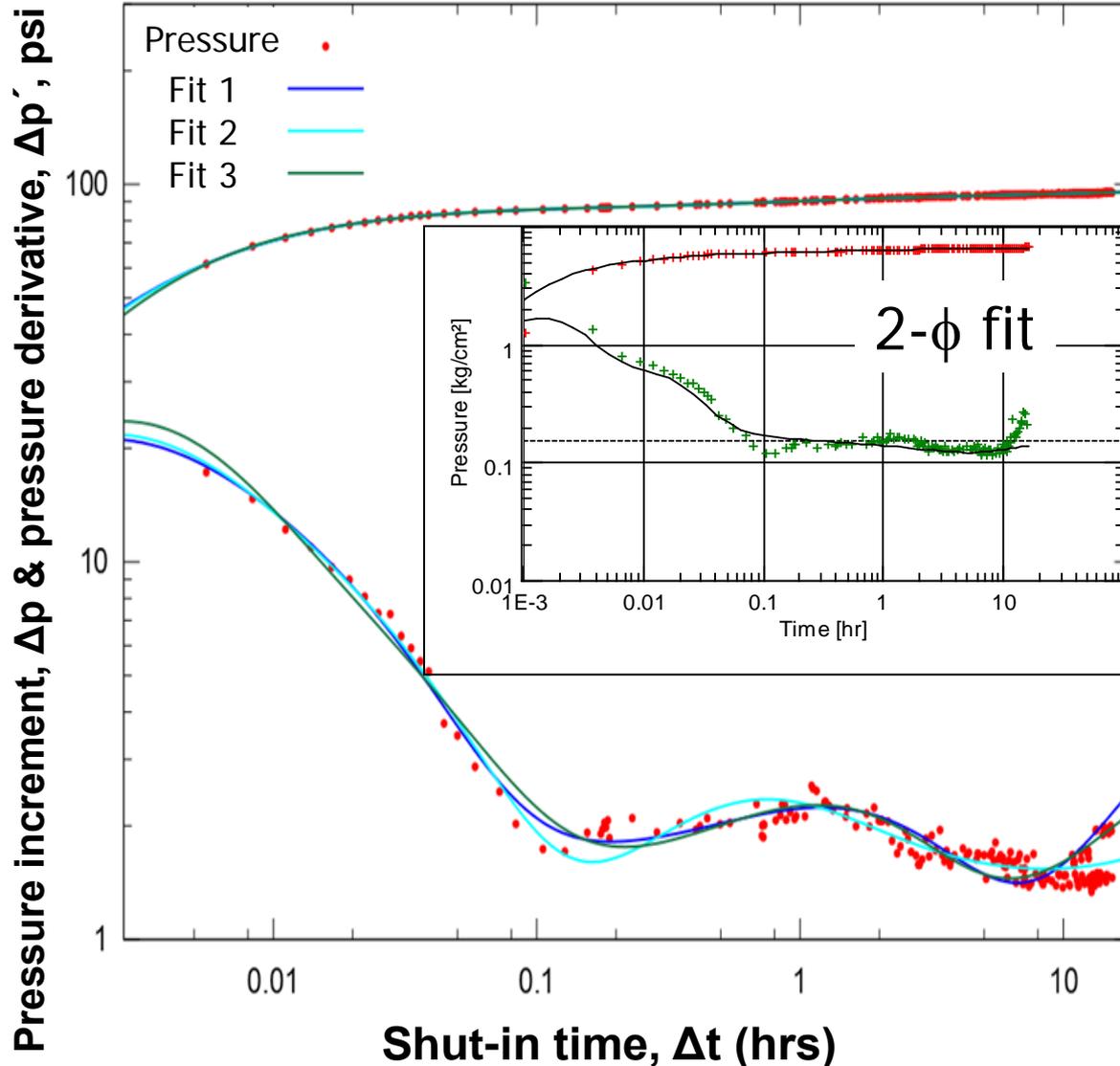


At 3280 – 3281 m depth there is a cavern with a vertical length of 1 - 1.5 m.

Camacho-V., R., et al., SPE 171078, 2014

Results with 3 ϕ – 2 k modeling

Well 1-KS, multiple fittings, total penetration

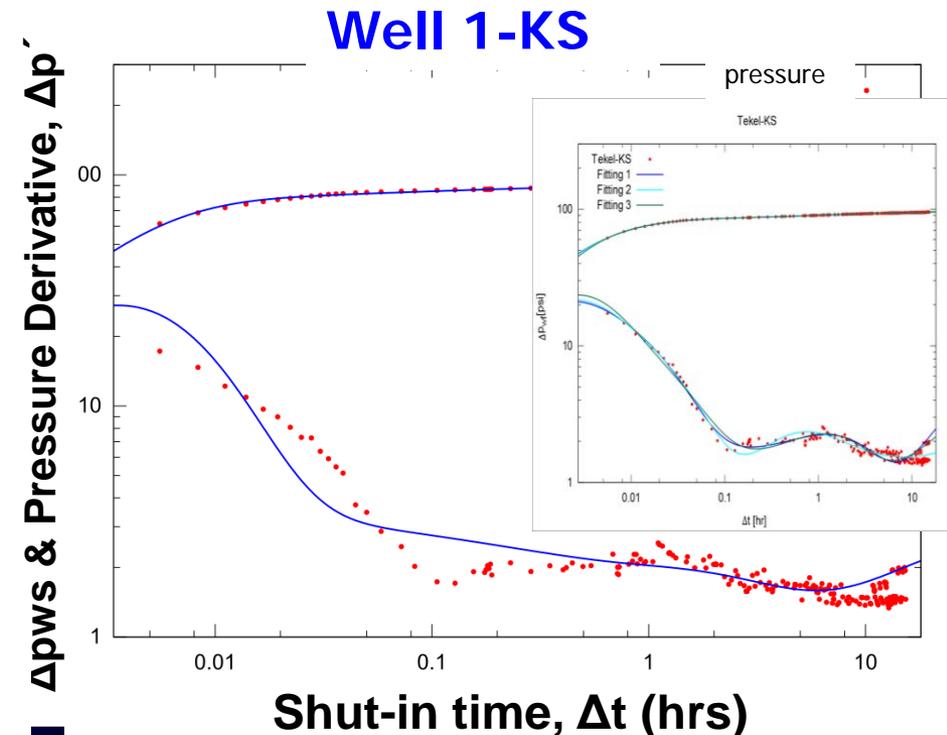
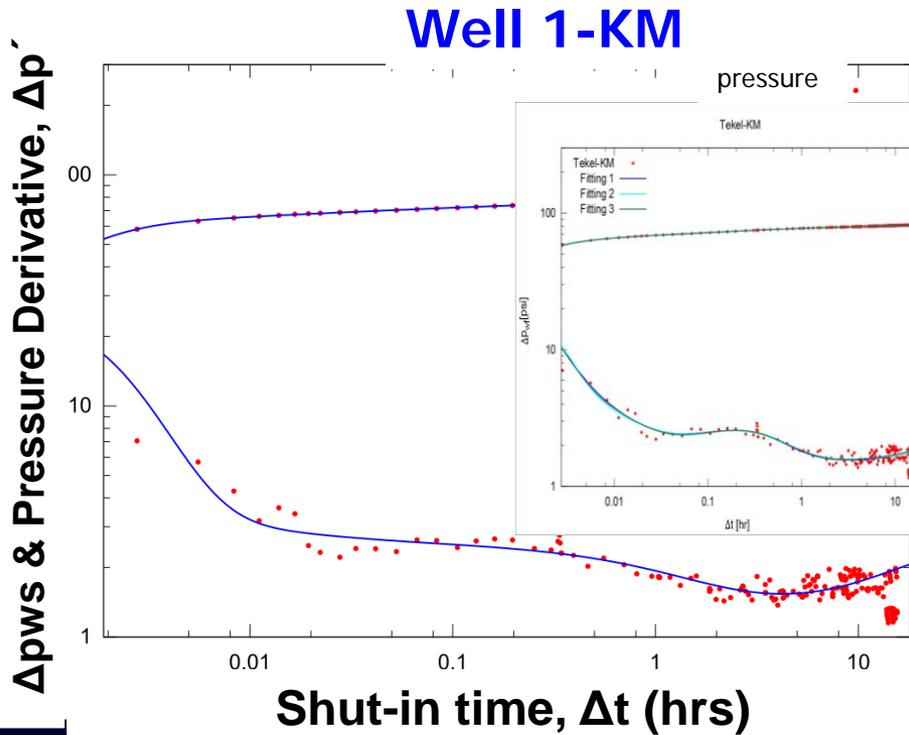


Parameter	Fit 1	Fit 2	Fit 3
ω_v	4.2E-4	1.9E-1	0.98
ω_f	1.1E-2	8.2E-5	8.4E-4
λ_{mf}	1E-9	1.1E-9	7.9E-4
λ_{vf}	7.7E-9	1.2E-9	8.9E-8
λ_{mv}	1.5E-7	1.8E-6	1E-9
κ	0.03	0.94	0.96
k_T	8286 mD	11990 mD	13950 mD
C_D	41	455	59
s	-3.5	-3.6	-1

Camacho-V., R., et. al.:
SPE171078, 2014

Results with 3 ϕ – 2 k modeling

Fixing ω_v & ω_f from well logs, Total Penetration



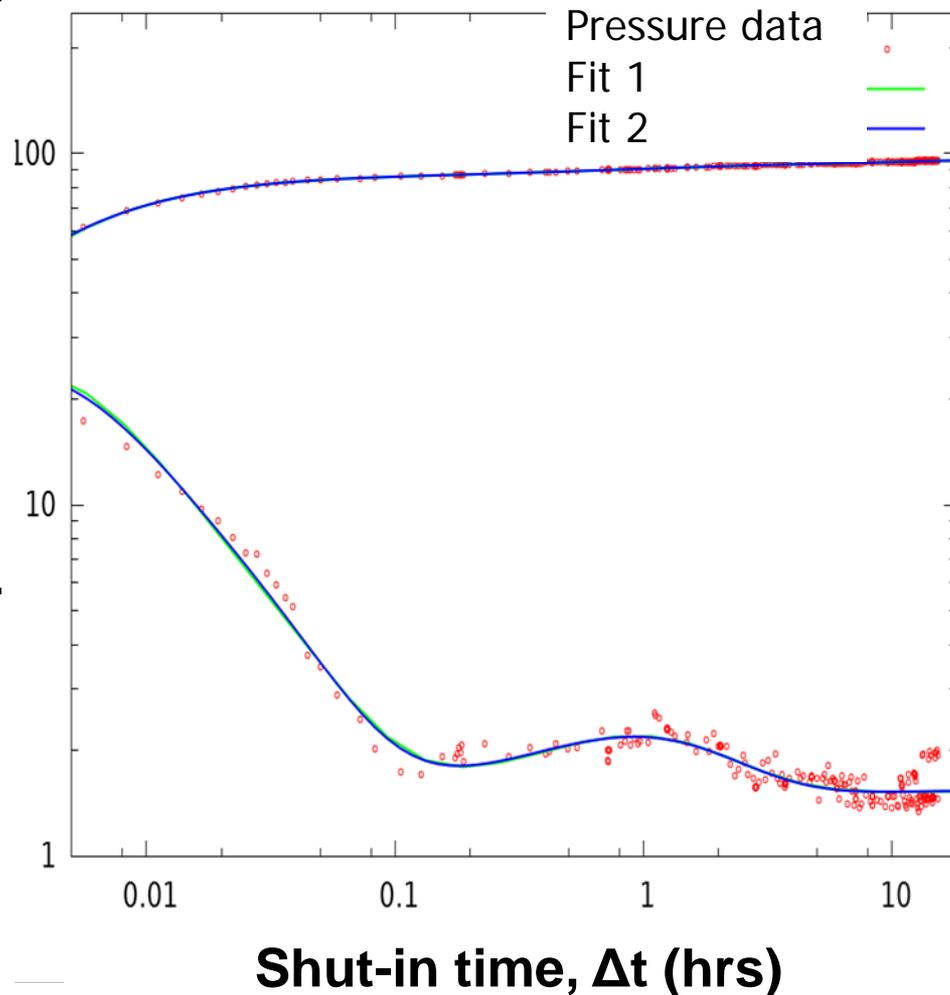
ω_v	ω_f	K	S
0.63	0.013	1.0	7.91
λ_{mf}	λ_{mv}	λ_{vf}	k_T
1.03E-07	1.76E-07	1.00E-09	2.11E+04

ω_v	ω_f	K	S
0.64	0.041	1.0	7.92
λ_{mf}	λ_{mv}	λ_{vf}	k_T
3.61E-08	1.00E-09	1.44E-08	3.37E+04

Results with 3 ϕ – 2 k modeling

Well 1-KS, Partial Penetration

Pressure increment, Δp & Pressure Derivative, $\Delta p'$, psi

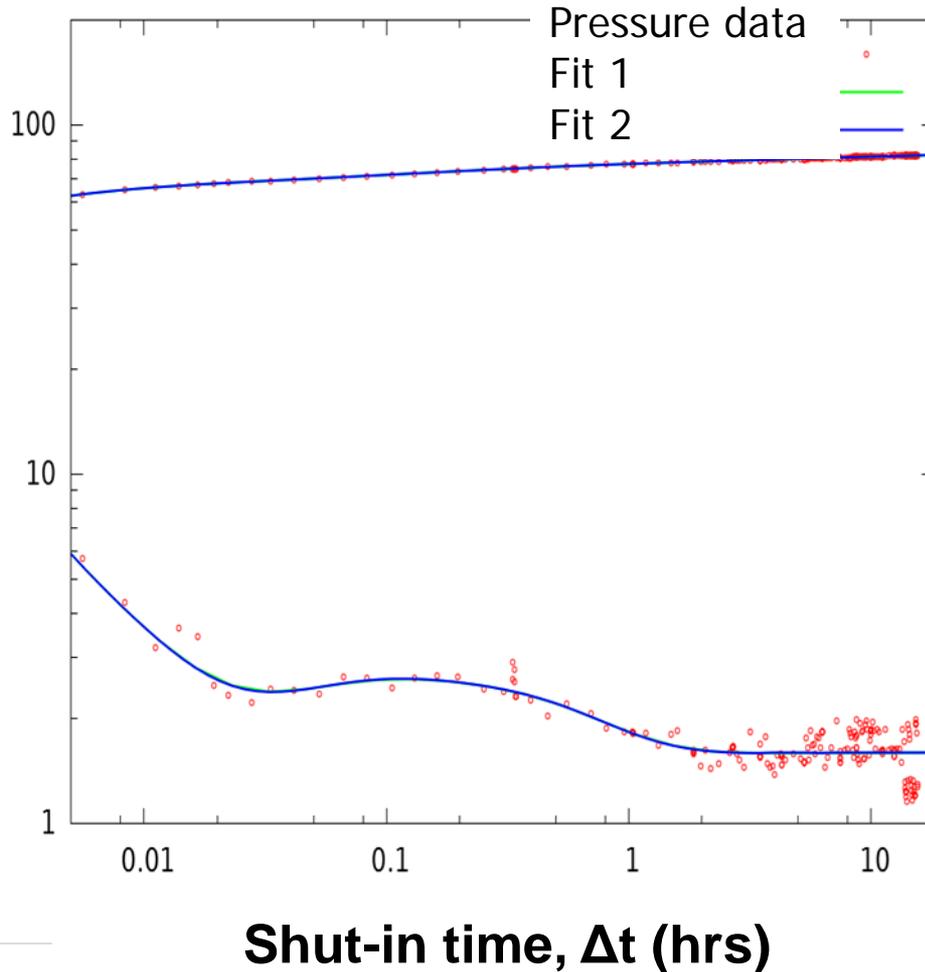


Parameter	Fit 1	Fit 2
ω_v	3.53E-02	7.00E-01
ω_f	5.24E-01	2.26E-02
λ_{mf}	1.04E-05	2.34E-05
λ_{vf}	2.49E-05	3.95E-05
λ_{mv}	2.56E-05	1.17E-05
K_r	3.30E-01	8.08E-01
K_z	9.99E-01	1.00E-03
C_D	2.21E+00	1.24E+00
S_f	8.20E-01	3.90E-01
S_v	5.92E-01	6.52E-01
h_D	3.86E+02	3.43E+02
h_{1D}	1.83E-01	1.01E-01
h_{pD}	1.71E-01	1.67E-01

Results with 3 ϕ – 2 k modeling

Well 1-KM, Partial Penetration

Pressure increment, Δp & Pressure Derivative, $\Delta p'$, psi



Parameter	Fit 1	Fit 2
ω_v	1.08E-01	5.07E-01
ω_f	5.18E-01	1.15E-01
λ_{mf}	5.52E-06	1.79E-05
λ_{vf}	7.88E-05	8.16E-05
λ_{mv}	1.78E-05	5.53E-06
κ_r	7.96E-02	9.31E-01
κ_z	6.29E-02	9.33E-01
C_D	2.82E+00	2.82E+00
S_f	1.09E+00	1.07E+00
S_v	1.08E+00	1.08E+00
h_D	1.04E+03	1.05E+03
h_{1D}	3.74E-01	3.75E-01
h_{pD}	2.51E-01	2.51E-01

Results with 3 ϕ – 2 k modeling

Overview of dynamic characterization– Well 1

■ 2 ϕ – 1 k, total penetration (Warren-Root)

KS: $\omega = 0.62$, KM: $\omega = 0.40$

Values from well logs:

- KS: $\omega_v = 0.64$, $\omega_f = 0.04$

KM: $\omega_v = 0.63$, $\omega_f = 0.01$

■ 3 ϕ – 2 k, total penetration

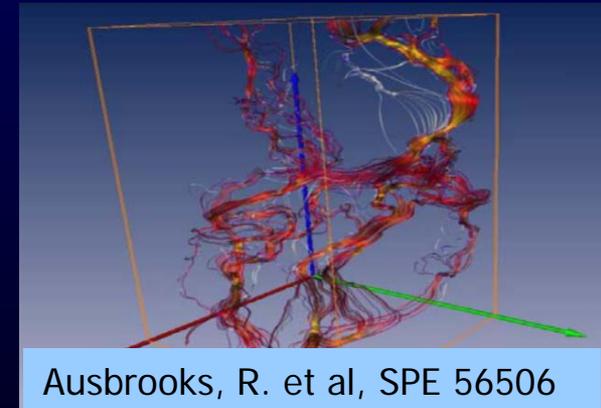
- KS: $\omega_v = 0.98$, $\omega_f = 8 \times 10^{-4}$, $\kappa_r = 0.96$

- KM: $\omega_v = 0.99$, $\omega_f = 1 \times 10^{-4}$, $\kappa_r = 0.75$

■ 3 ϕ – 2 k, partial penetration

- KS: $\omega_v = 0.7$, $\omega_f = 0.023$, $\kappa_r = 0.8$, $\kappa_z = 0.001$

- KM: $\omega_v = 0.51$, $\omega_f = 0.12$, $\kappa_r = 0.9$, $\kappa_z = 0.9$



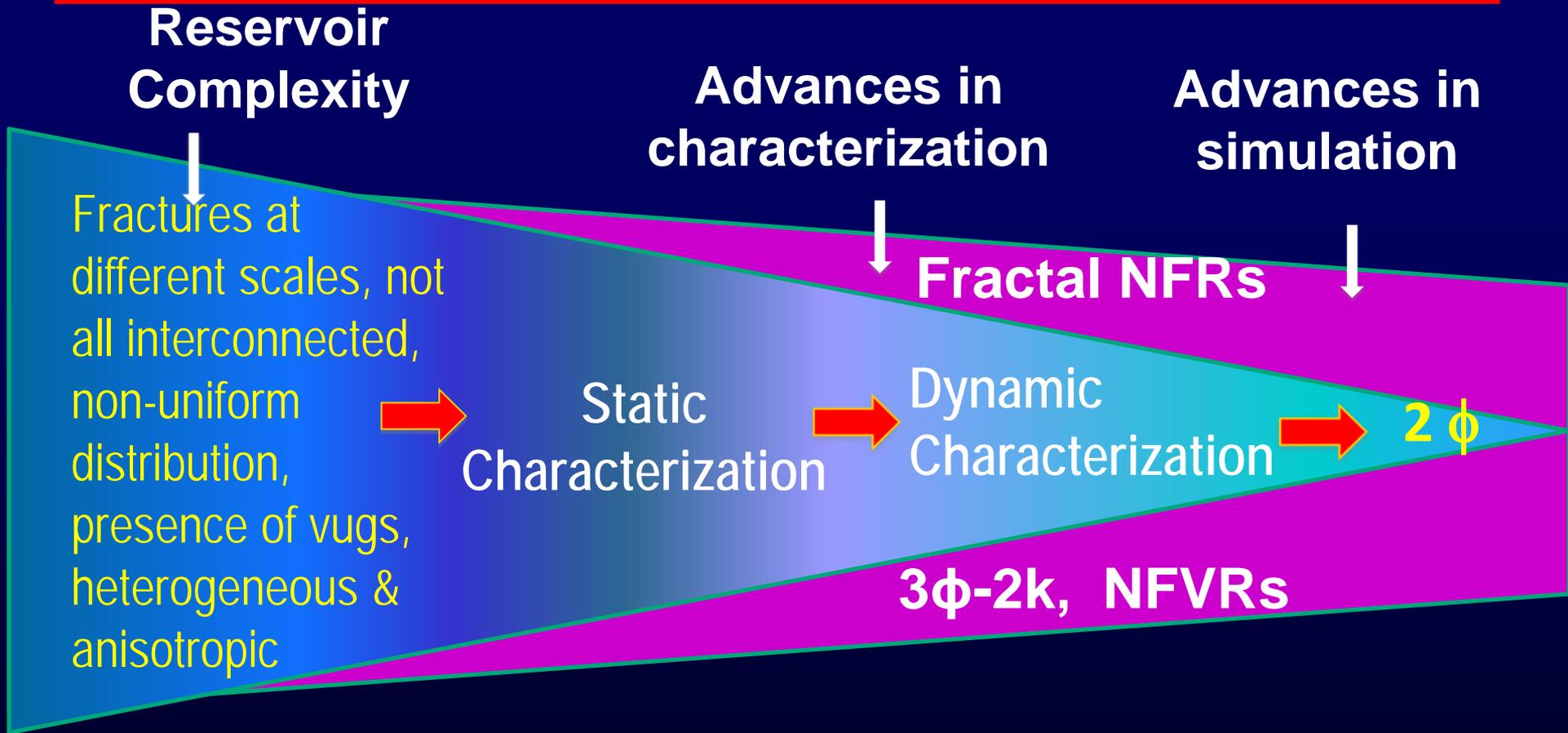
Results with 3 ϕ – 2 k modeling

- 3 ϕ - 2 k \longrightarrow better match of pressure tests than 2 ϕ model, obtaining more information about 3 media (matrix- fractures - vugs).
- $(\omega_v + \omega_f) \neq \omega$ (2 ϕ , Warren-Root) \longrightarrow use of traditional 2 ϕ simulators for NFVRs is not justified.
- Partial penetration effects \longrightarrow information about vertical communication of vugs and fractures.
- Confirmed that vugs' vertical communication can be significant, which is relevant for reservoirs with an active aquifer.

Conclusions about proposed models

- **Fractal & 3 ϕ - 2 k models** \longrightarrow better characterization \longrightarrow key driver for maximizing production and recovery.
- Proposed models \longrightarrow explanations for production performance that can not be obtained with traditional 2 ϕ simulators.
- **Additional information from these models useful to:**
 - prevent / anticipate mud losses during drilling
 - evaluate vertical communication for NFVRs
 - evaluate productive potential of NFRs
 - anticipate efficiency of secondary and EOR
 - determine better distribution of wells

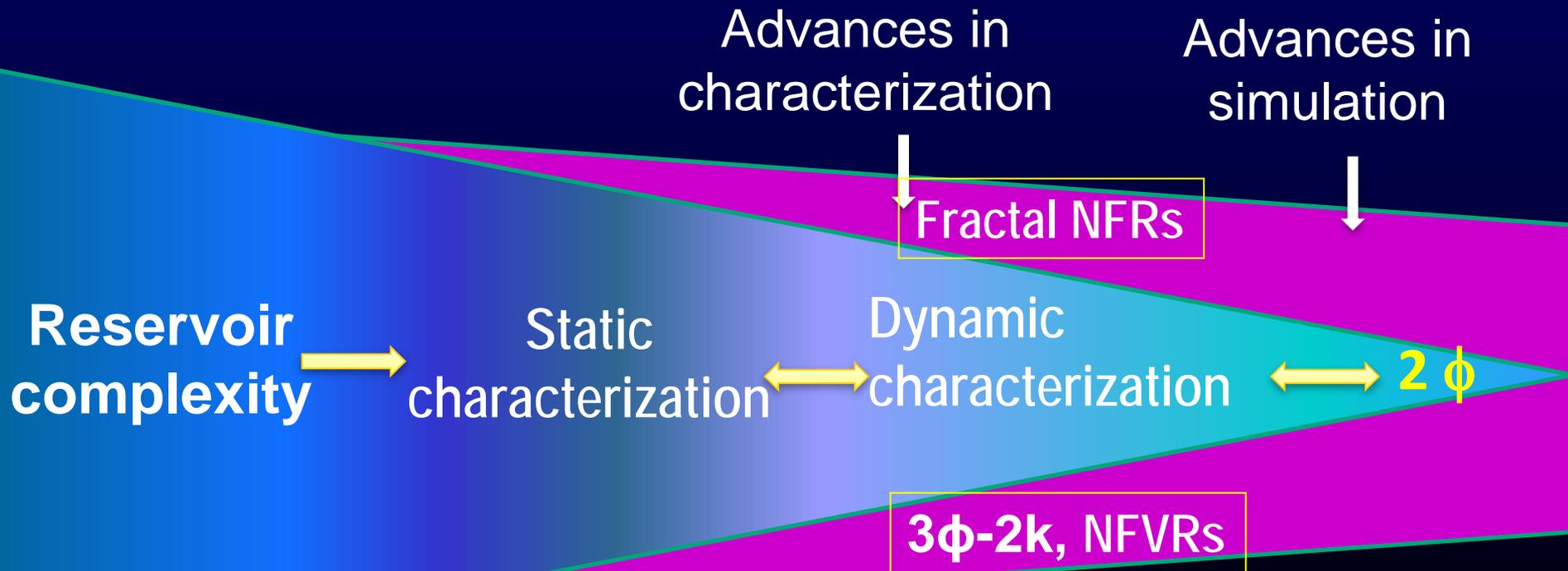
Current and Future Vision



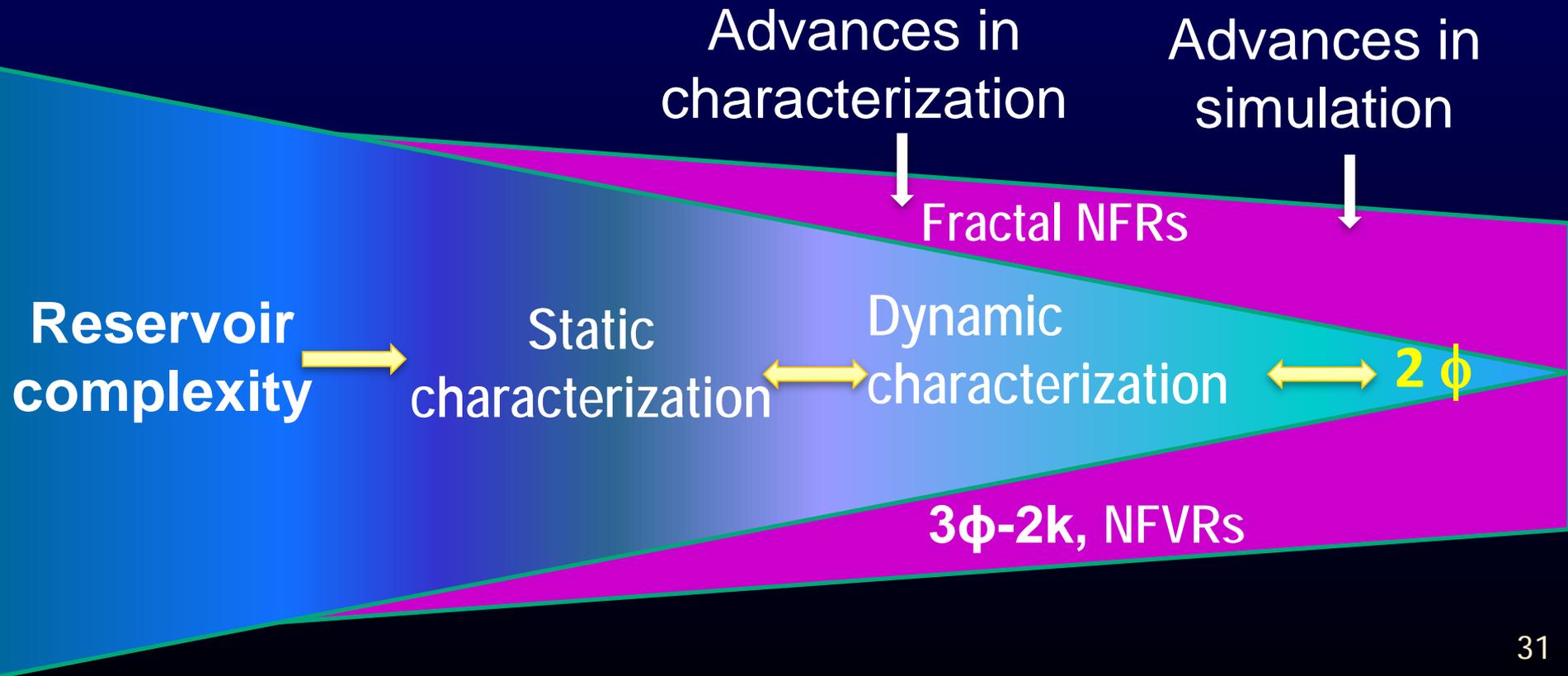
It is important to consider other alternatives that best describe heterogeneities, such as the $3\phi - 2k$ models for NFVRs and fractal models

Main message

There are two new models that provide more reservoir information with the same input data



Thank you
Are there any questions?





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